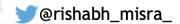
Decomposing Fit Semantics for Product Size Recommendation in Metric Spaces

Using Machine Learning to find fitting sizes of clothing products for customers

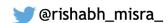
TWiML June Americas Meetup

Presentation by: Rishabh Misra



Outline

- Motivation
- Data Requirements
- Goal
- Model by Amazon Baseline
- Open challenges
- Improvement methodologies
- Experimental setup
- Results
- Future Directions



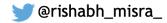
Motivation

- Who doesn't love online shopping? It is convenient, offers a wide selection of products and we get great deals.
- Retailers also benefit from the reach that internet provides and get a chance to establish their position in the market.
- However, shopping for clothes online is still tricky owing to wide sizing variations across different brands that make it tough for customers to identify proper fitting clothes.

Motivation

• For customers, it leads to a bad shopping experience as they might have to return the products and for retailers, this results in monetary losses.

 Thus, automatically providing accurate and personalized fit guidance is critical for improving the online shopping experience and reducing product return rates.



Why use Machine Learning?

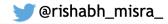
- The meaning of fitness of clothing is *subjective*: it varies widely based on customers' idiosyncratic preferences and products' properties.
 - So, there is no defined set of algorithmic steps we could follow to identify whether a product would be fit to a customer.
- Many online retailers nowadays allow customers to provide fit feedback on the purchased product during the product return process or when leaving reviews.
 - So, there's a lot of data available.

What type of data is available?

- E-commerce companies internally store customer orders data.
 - At Amazon, when customers return any shoe product, they are asked about the fit
 of the product*.
- Some online retailers nowadays allow customers to provide fit feedback (e.g. Small, Fit or Large) on the purchased product when leaving reviews.
 - Example: ModCloth and RentTheRunWay
- Having access to this type of data source, we can create a dataset of form (customer_id, product_id, fit_feedback).
 - We can assume fit-feedback to be in one of three classes: Small, Fit or Large.
- * Recommending Product Sizes to Customers by Sembium et al. from Amazon.

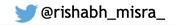
What's our goal?

- Given the dataset of form (customer_id, product_id, fit_feedback), we can define some features for each customer and product.
- Features for customers could capture their preferences of what type of fitting they like. Features for products could capture sizing and style related properties.
- Our goal can then be defined as:
 - Learn customers' fit preferences and products' size/style related properties from the data.
 - If a customer shows interest in a clothing product by visiting its page, utilize the learned features to recommend them a size that will fit them well.



How Amazon tackled the problem?

- One of the first studies in the domain of product size recommendation was done by Amazon*.
- Authors particularly focus on recommending catalog sizes of Shoes.
- Since the fitness of shoes can arguably be judged along 1 or 2 dimensions (length and/or width), it was a good point to start with from the modeling perspective.
- * Recommending Product Sizes to Customers by Sembium et al. from Amazon.

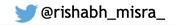


Terms

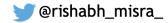
- Parent Product: Columbia Jacket (a product itself)
- Child Product: Medium sized Columbia Jacket (particular size of a product)

Model Details

- For every customer and child product, authors define a latent variable.
- They interpret them as true sizes of respective customers and child products.
- The true size of a child product would be different from its catalog size assigned by the retailer due to sizing variation across different brands.
- If we are able to learn the true sizes, sizing of all the child products would be on the same scale that in turn would make gauging fit easier.



- Let us assume u_c denote the true size of customer c and v_p denote the true size of child product p.
- Intuitively, if there's a transaction (c, p, Fit), then the true sizes u_c and v_p must be close, that is, $|u_c v_p|$ must be small.
- On the other hand, if there's a transaction (c, p, Small), then the customer's true size u_c must be much larger than the child product's true size v_p , or equivalently, $|u_c v_p|$ must be large.
- Lastly, for (c, p, Large) type of transactions, $v_p u_c$ must be large.

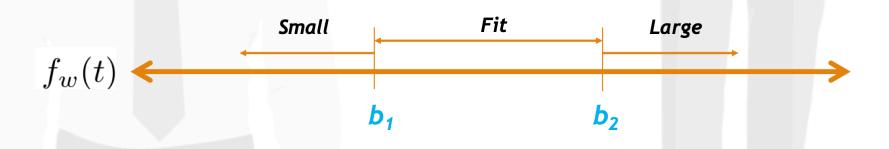


 To quantify the fit of a child product on a customer, a fit score is defined for each transaction t as:

$$f_w(t) = w(u_{t_c} - v_{t_p})$$

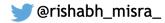
where w is a non-negative weight parameter.

 Since this fit score is on a continuous scale and end-goal is to classify transactions based on this fit score into one of the three fit classes, authors used <u>ordinal regression</u> for modeling.



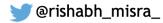
- To learn the latent variables u_c and v_p , we now just need two more things: a *loss function* to optimize and an *optimization technique*.
- Authors use the <u>Hinge Loss</u> for each of the binary classification problems in ordinal regression. Hinge Loss is known to maximize the margin between classifier's decision boundaries.
- So, the objective function for any transaction t could be written as:

$$\min L(t) = \begin{cases} \max\{0, 1 - f_w(t) + b_2\} & \text{if } Y_t = \text{Large} \\ \max\{0, 1 + f_w(t) - b_2\} \\ + \max\{0, 1 - f_w(t) + b_1\} & \text{if } Y_t = \text{Fit} \\ \max\{0, 1 + f_w(t) - b_1\} & \text{if } Y_t = \text{Small} \end{cases}$$



Hinge Loss

Max(0, 1 - y.y)

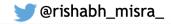


- The overall loss is simply the sum of losses for each transaction.
- It is minimized when for any transaction t with a fit outcome Y_t :
 - $f_w(t) > b_2$ if $Y_t = Large$,
 - $f_w(t) < b_1$ if $Y_t = Small$, and
 - $b_1 < f_w(t) < b_2$ if $Y_t = Fit$.
- Authors use Stochastic Gradient Descent to optimize the objective.

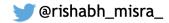
Prediction Strategy

- Since recommending products is not possible in an offline evaluation of the model, authors consider the ability of the model to predict the fit outcome of unseen transactions as a proxy for the model's recommendation performance.
- To that end, they feed the learned latent features of customers and child products into standard classifiers like *Logistic Regression*Classifier and Random Forest Classifier to produce the fit predictions.

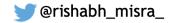
Clothing products like dresses and shirts have relatively **more dimensions** along which the fit is determined.



Customers' fit preference might vary across different product categories for each customer, for example, customers might prefer a jacket to be a little loose whereas a wet suit to be more form fitting. Thus, a single latent feature for each child product and customer might not be enough to capture all the variability in the data.



Customers' fit feedback is unevenly distributed as most transactions are reported as *Fit*, so it is difficult to learn when the purchase would not be *Fit*. Standard classifiers are not capable of handling the label imbalance issue and results in biased classification, i.e. in this case, *Small* and *Large* classes will have poor estimation rate.



No publicly available dataset.

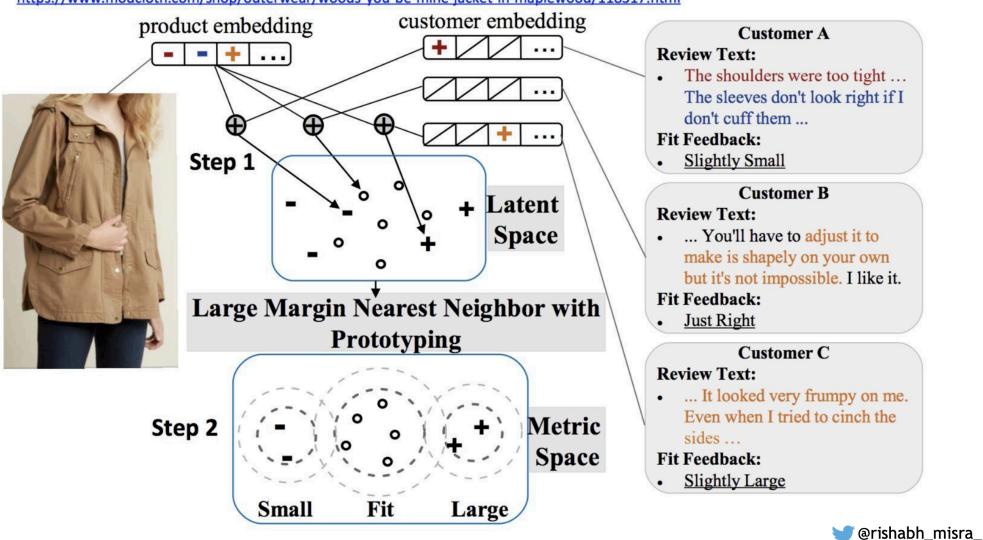


How can we improve?

- To address the first two challenges, we consider **multiple latent features** for each customer and child product. Intuitively, this enables us to capture rich fit preferences of customers on various product aspects (like shoulders, waist etc.).
- To address the third challenge, we take the help of a metric learning technique with prototyping.
- We collected two novel datasets from the web to address the fourth challenge.

Jacket in Maplewood (Size: Medium)

https://www.modcloth.com/shop/outerwear/woods-you-be-mine-jacket-in-maplewood/118317.html



• We decompose the fit feedback signal using a *latent factor model* formulation (which ultimately helps us extract more informative features from the data).

$$f_{w}(t) = \left(\underbrace{\mathbf{w}}_{\text{weight vector}}, \overbrace{\alpha \oplus b_{t_{c}} \oplus b_{t_{pp}}}^{\text{fit bias terms}} \oplus \underbrace{(\mathbf{u}_{\mathsf{t_{c}}} \odot \mathbf{v}_{\mathsf{t_{p}}})}_{\text{fit compatibility}} \right)$$

where pp denotes parent product, u and v are k-dimensional latent features, α is a global bias term, \oplus denotes concatenation and \odot denotes element-wise product.

• The bias term b_{t_pp} captures the notion that certain parent products tend to be reported more unfit because of their inherent features/build whereas the bias term b_{t_c} captures the notion that certain customers are highly sensitive to fit while others could be more accommodating.

- Although we will be able to learn rich features from this formulation, one tricky thing is that the order between the fit scores for different catalog sizes of the same parent product is not guaranteed to be consistent.
 - This could render our model useless for the purpose of size recommendation.
- We would want that if a child product is **Small** (respectively **Large**) for a customer, all the smaller (larger) sizes of the corresponding parent product should also be **Small** (**Large**).



• Observing fit score equation, we see that fit score for a parent product pp and a customer c only varies based on child product's latent features v_p .

$$f_{w}(t) = \left(\underbrace{\mathbf{w}}_{\text{weight vector}}, \overbrace{\alpha \oplus b_{t_{c}} \oplus b_{t_{pp}}}^{\text{fit bias terms}} \oplus \underbrace{(\mathbf{u}_{t_{c}} \odot \mathbf{v}_{t_{p}})}_{\text{fit compatibility}} \right)$$

• So to resolve this issue, it would be enough to enforce that all the latent features of a child product p are strictly larger (smaller) than the latent features of next smaller (larger) catalog product p^- (p^+) if a smaller (larger) size exists.

So the modified objective function could be stated as follows:

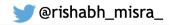
$$\min L(t) = \begin{cases} \max\{0, 1 - f_w(t) + b_2\} & \text{if } Y_t = \text{Large} \\ \max\{0, 1 + f_w(t) - b_2\} \\ + \max\{0, 1 - f_w(t) + b_1\} & \text{if } Y_t = \text{Fit} \\ \max\{0, 1 + f_w(t) - b_1\} & \text{if } Y_t = \text{Small} \end{cases}$$

$$\mathbf{s.t.} \ \mathbf{v_{t_{p^-}}} < \mathbf{v_{t_p}} < \mathbf{v_{t_{p^+}}}.$$

- This is similar to objective in Amazon's paper.
- We have just changed the definition of the fit score and added monotonicity constraints.
- We can optimize this objective using Projected Gradient Descent which
 is similar to Stochastic Gradient Descent with a difference that after
 every update the constraints are enforced.

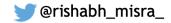
Handling Label Imbalance - Prototyping

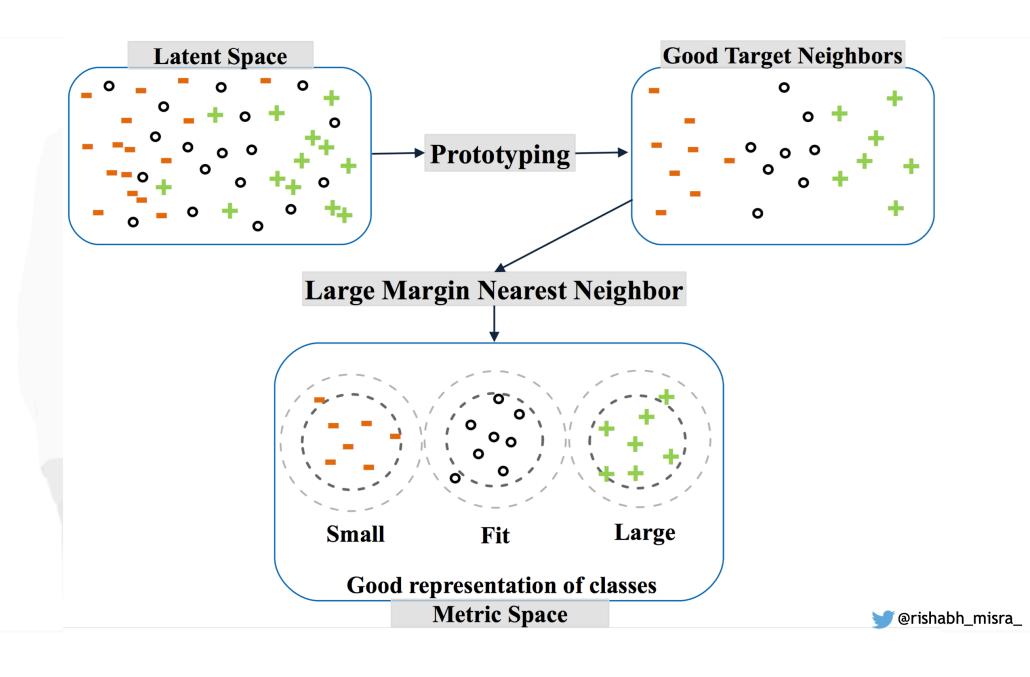
- The goal of prototyping techniques is to create certain number of "prototypes" from the available data such that they are representative of the whole data.
 - A prototype could be some key data sample from the dataset or could be a combination
 of several data samples. Usually, the number of prototypes created are way less than the
 number of data samples in the dataset.
- Our proposed prototyping technique first alters the training data distribution by strategically re-sampling from different classes.
 - Re-sampling is shown to be effective in handling label imbalance issues*.
- * Learning deep representation for imbalanced classification by Huang et al., In CVPR



Handling Label Imbalance - Metric Learning

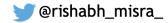
Next, we employ the Large Margin Nearest Neighbor (LMNN) metric learning technique that improves the local data neighborhood by moving transactions having the same fit feedback closer and having different fit feedback farther, thus helping the k-NN method classify better.





Metric Learning Technique - Details

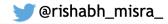
- The goal of metric learning is to learn a distance metric D such that D(k, l)
 D(k, m) for any training instance (k, l, m) where transactions k and l are in the same class and k and m are in different classes.
- In this work, we use the LMNN metric learning approach that apart from bringing transactions of the same class closer, also aims at maintaining a margin between transactions of different classes. This ultimately improves the classification.



Metric Learning Technique - Details

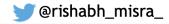
Specifically, LMNN does this by:

- Identifying the target neighbors for each transaction.
 - Target neighbors are those transactions that are desired to be closest to the transaction under consideration (that is, transactions from the same class).
- Learning a linear transformation of the input space such that the resulting nearest neighbors of a transaction in the transformed space are indeed its target neighbors.
 - The final classification in LMNN is then given by applying k-NN in the transformed (metric) space. The distance measure D used by LMNN is the Mahalanobis distance.



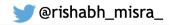
Prototyping - Details

- One caveat in **LMNN** is that it fixes the **k** target neighbors for each transaction before it runs. This allows constraints to be defined locally.
- However, this also makes the method very sensitive to the ability of the Euclidean distance to select relevant target neighbors.
- To mitigate this limitation, we develop a heuristic that provides a good representation for each class by reducing noise from outliers and other non-contributing transactions (like the ones which are too close to the centroid of their respective class or to already selected transactions) by carefully sampling transactions.



Experimental Setup

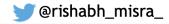
- 1-LV-LR: Method proposed by Amazon.
- **K-LV-LR**: Simple extension of **1-LV-LR** where latent feature for each customer and child product is **K** dimensional.
- K-LF-LR: The proposed latent factor variation from "Learning Semantics of Fit" section along with Logistic Regression to produce fit outcome.
- K-LV-ML: This method is similar to K-LV-LR with a difference that it uses the proposed Metric Learning approach to produce fit outcome.
- K-LF-ML: This is the method proposed by us.



Experimental Setup

These methods are designed to evaluate:

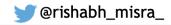
- The effectiveness of capturing fit semantics over true sizes.
- Importance of learning good latent representations.
- The effectiveness of the proposed metric learning approach in handling label imbalance issues.



Dataset/Method	(a)	(b)	(c)	(d)	(e)	improvement improvement		
	1-LV-LR	K-LV-LR	K-LF-LR	K-LV-ML	K-LF- ML	(e) vs. (a)	(e) vs. (b)	(e) vs (c)
ModCloth	0.615	0.617	0.626	0.621	0.657	6.8%	6.5%	4.9%
RentTheRunWay	0.61	0.676	0.672	0.681	0.719	17.9%	6.4%	7%

Table: Performance of various methods in terms of average AUC.

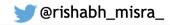
- We gauge the performance of all the methods based on Average AUC metric.
 - Average AUC is nothing but the average of AUC scores for individual classes.
- From the table, we observe our proposed model hugely improves upon the model proposed for shoe size recommendation (e vs a).
 - This could be attributed to learning fit semantics over true sizes.

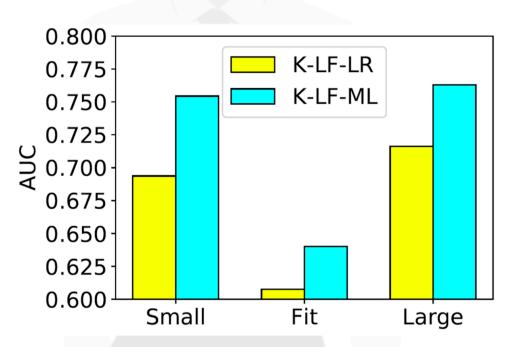


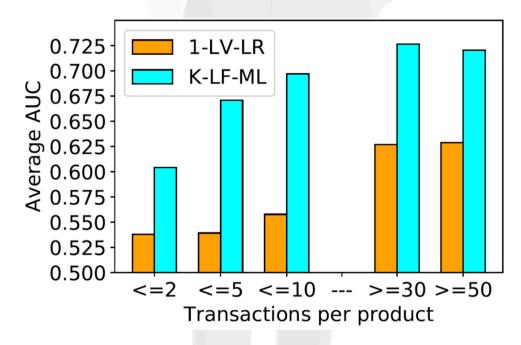
Dataset/Method	(a)	(b)	(c)	(d)	(e)	improvement improvement		
	1-LV-LR	K-LV-LR	K-LF-LR	K-LV-ML	K-LF-ML	(e) vs. (a)	(e) vs. (b)	(e) vs (c)
$\overline{\rm ModCloth}$	0.615	0.617	0.626	0.621	0.657	6.8%	6.5%	4.9%
RentTheRunWay	0.61	0.676	0.672	0.681	0.719	$\boldsymbol{17.9\%}$	6.4%	7%

Table: Performance of various methods in terms of average AUC.

- We also observe that the improvements on *ModCloth* are relatively smaller than improvements on *RentTheRunWay*.
 - This could be due to *ModCloth* having relatively more cold products and customers (products and customers with very few transactions) compared to *RentTheRunWay*.
- We also notice that metric learning approaches do not significantly improve performance when using representations from the K-LV method (d vs b and e vs c).
 - This underscores the importance of learning good representations.

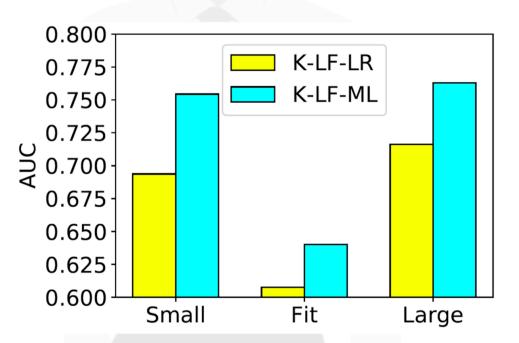


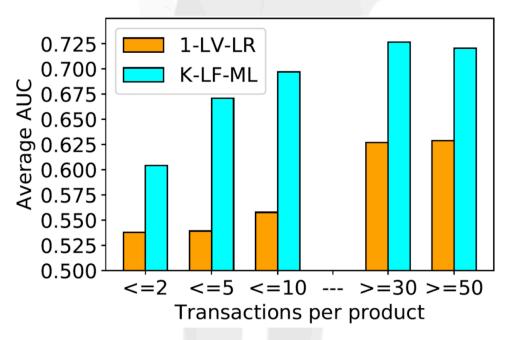




Besides learning good representations, good performance of *K-LF-ML* could also be ascribed to the ability of the proposed metric learning approach in handling label imbalance issues as depicted in the left-hand side graph above.



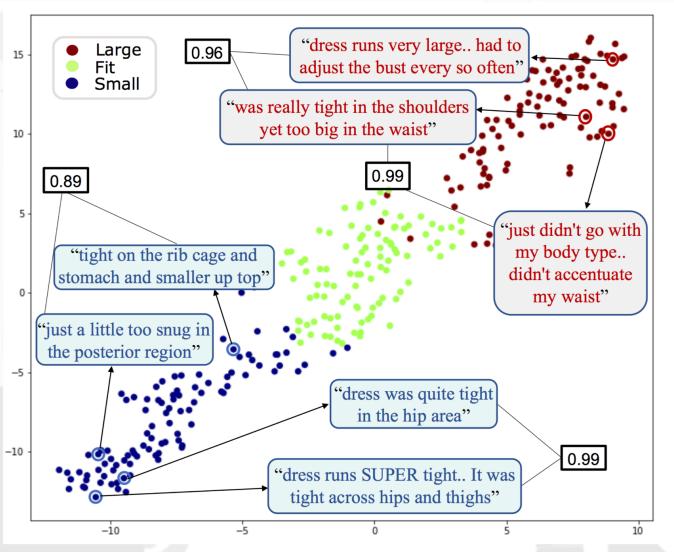




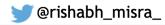
The right-hand side graph depicts how *K-LF-ML* performs in cold-start and warm-start scenarios. For cold products, we notice that *K-LF-ML* consistently performs better than *1-LV-LR*, although their performances are slightly worse overall. As we consider products with more transactions, *K-LF-ML* improves quickly whereas the performance of *1-LV-LR* improves significantly only when sufficiently many samples are given.

Future Directions

- This is a very practical problem to solve with good implications and has several open directions.
- One such direction for further improvement could be to utilize the reviews to improve the interpretability of the model since currently, it is hard to understand what each latent dimension correspond to. This is possible by integrating a language model with the latent factor model to assign a specific meaning to each latent dimension (denoted by the corresponding topic) as done in this paper.



Qualitative Analysis of the learned latent features in Metric Space



Publication Resources

- Blog post on Towards Data Science: https://towardsdatascience.com/would-this-clothing-fit-me-5c3792b7a83f
- Research paper: https://cseweb.ucsd.edu/~jmcauley/pdfs/recsys18e.pdf
- GitHub repo with source code: https://github.com/rishabhmisra/Product-Catalog-Size-Recommendation-Framework
- Datasets: https://www.kaggle.com/rmisra/clothing-fit-dataset-for-size-recommendation

